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To cite this version:
Sandra Lanini, Fabien Delaleux, Xavier Py, Régis Olivès, Denis Nguyen. Improvement of Borehole Thermal Energy Storage Design Based on Experimental and Modelling Results. Energy and Buildings, 2014, 20 p. 10.1016/j.enbuild.2014.03.056. hal-00971602

HAL Id: hal-00971602
https://brgm.hal.science/hal-00971602
Submitted on 3 Apr 2014

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Improvement of Borehole Thermal Energy Storage Design Based on Experimental and Modelling Results

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Abstract

Underground Thermal Energy Storage appears to be an attractive solution for solar thermal energy storage. The SOLARGEOTHERM research project aimed to evaluate the energetic potential of borehole thermal energy storage by means of a full-scale experimental device and heat transfer models. Analysis of the experimental data showed that a single borehole is not efficient for storage. Application of a 1D analytical model showed that the heat transfer fluid in the geothermal probe lost 15 per cent of its energy at a depth of 100 m and 25 per cent at 150 m. A 3D multilayer numerical model was then developed and validated against the experimental data. This model was then used to simulate different configurations over many years. Lastly, a theoretical approach to optimising design of a borehole thermal energy store (BTES) was proposed. A relation was established that enables comparison of the storage characteristic time of any vertical BTES to an optimum one. Based on these experimental, modelling and theoretical results, guidelines are formulated to optimise the design of vertical borehole fields with an objective of inter-seasonal heat storage. In particular, borehole fields should define cylindrical storage volumes with diameters twice their height, and depth should not exceed 100 m.

Keywords

Energy storage, geothermal probe, heat transfers, modelling, BTES, dry rock, solar energy, SOLARGEOTHERM

Highlights

- Analysis of experimental data from a BTES comprising three 180 m-deep boreholes.
Development of a 3D multilayer numerical model validated against experimental data.

Long-term simulations of ground temperature behaviour in several BTES configurations.

Theoretical relation to evaluate the storage performances of any cylindrical BTES.

**Nomenclature**

<table>
<thead>
<tr>
<th>Abbreviation</th>
<th>Definition</th>
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<tr>
<td>ATES</td>
<td>Aquifer Thermal Energy Storage</td>
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<tr>
<td>BTES</td>
<td>Borehole Thermal Energy Storage</td>
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<tr>
<td>(C_p)</td>
<td>heat capacity, J.kg(^{-1}).K(^{-1})</td>
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<tr>
<td>(\rho)</td>
<td>density, kg.m(^{-3})</td>
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<tr>
<td>(\lambda)</td>
<td>thermal conductivity, W.m(^{-1}).K(^{-1})</td>
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<tr>
<td>HDPE</td>
<td>High Density PolyEthylene</td>
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<tr>
<td>HTF</td>
<td>Heat Transfer Fluid</td>
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<tr>
<td>(m')</td>
<td>flow rate, kg.s(^{-1})</td>
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<tr>
<td>(r)</td>
<td>radius, m</td>
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<tr>
<td>(R)</td>
<td>thermal resistance, m.K.W(^{-1})</td>
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**1. Introduction**

Underground thermal energy storage (UTES) refers to systems that use buried devices designed to exchange heat with the surrounding ground. In geographic areas like Europe, where heating is needed in winter, the ground temperature is presumed to be lower than that of the heat source during the storage stage (summer) and higher during the discharge stage (winter), making UTES an apparently attractive
solution for seasonal storage of solar thermal energy. Several storage devices are available, the choice of which depends on both the conditions of energy charging and discharging and on local geological and hydrogeological conditions [1]. For instance, heat may be stored in aquifers (ATES) or, conversely, in dry rock by circulating a fluid through a borehole thermal energy store (BTES). Numerous such sites are already operating in Canada and central and northern Europe where, combined with ground source heat pumps, they are providing block and district heating [2]. The design of an underground heat storage depends on the project context and designs are often developed on the basis of the results of numerical simulations. For example, Lundh & Dalenbäck [3] report that to select the most effective design for the Anneberg project (Sweden), several combinations from 66 to 165 boreholes were simulated. The final solution comprises 100 boreholes inter-linked by a mixture of series and parallel connections. For the Drake Landing Solar Community project, in Okotoks (Canada), a radial flow pattern was preferred with a BTES field of 144 boreholes each 35 m deep [4]. For high quality air-conditioning of the Minhang archives building of Shanghai, Zhai and Yang [5] describe a ground source heat pump system based on a field of 280 vertical boreholes (80 m deep) with single U-tubes and parallel connections.

The SOLARGEOTHERM three-year, French research project that ended in 2012 focused on the study of solar thermal energy storage in dry rock. The aim of the project was optimisation and evaluation of the energy potential of BTES by use of a full-scale experimental device and heat transfer models. The SOLARGEOTHERM experimental site was located in a Paleozoic schist quarry in the eastern Pyrenees (France). It has been especially selected for its hydrogeological configuration, out of any known aquifer or groundwater flow. The static water level is 35 m deep. The experimental device included three subvertical boreholes drilled to a depth of 180 m, spaced at 5 m, and equipped with double-U geothermal probes (32 mm outer diameter and 3 mm wall thickness). This heat storage device was charged via a hydraulic network circulating through 42 m² of thermal solar panels; the heat transfer fluid (HTF) was water. The geothermal probes were instrumented with an optical fibre, enabling temperature monitoring throughout the boreholes with a sampling resolution of 1 m, thanks to a Distributed Temperature Sensing device (Oryx DTS from Sensornet). Regarding the experimental context, absolute temperatures are
given with an accuracy of 0.5°C. Geological and fracturing characteristics of the
bedrock were determined by cutting analysis and geophysical techniques (long and
short resistivity, natural gamma, bore-hole imagery, etc.). As suggested by Fujii [6]
and Acuna [7], vertical distribution of the bedrock’s thermal properties was evaluated
through an in-situ distributed thermal response test [8]. The resulting conductivity
profile is presented on Figure 1. More details on the SOLARGEOTHERM
experimental system can be found in [9]. Different modelling approaches and tools
were applied to simulate heat transfers at different scales, in order to better ascertain
the thermal functioning of the system.

![Figure 1: Thermal conductivity variation with depth as estimated thanks to the Distributed Thermal Response Test. The average value determined previously by a classical TRT (3.26 W.m⁻¹.K⁻¹) is also mentioned.](image)

Heat injection into the experimental device was conducted with a flow rate of
32 l/min. The 42 m² solar panel plant is able to supply 32 kW at midday on a summer
sunny day. Also, at a month scale, experimental data showed that about 5000 kWh
where injected in the ground during July 2010, with HTF temperature varying
between 30 and 48°C (injection is automatically stopped when HTF temperature is
lower than 30°C). For comparison purposes, the energy extracted from the ground by
a heat pump (COP=4) to heat a 100 m² house over one year would be compensated
by the solar plant in 3 months (case of a house with average energy
needs, 150 kWh.m⁻².year⁻¹) and even in 1 month for a low consumption house (50
kWh.m⁻².year⁻¹). With normalized data, the energy given by 1 m² of solar panel in one month in summer can cover the heat needs of 1 m² of a house for one year (class C house) or even 3 years (low consumption house).

No energy recovery experiments were conducted during the first year, as the ground store needs to be heated to reach a yearly quasi steady state [10]. A technical failure in the injection device occurred after several months of operation, providing an unintended opportunity to observe ground thermal relaxation after a long injection period. When injection stopped, the underground temperature was observed to decrease progressively whatever the depth and to return to its initial state after only a few days (as an example, temperatures observed 180 m deep are reported on Figure 2). Clearly, this observation does not argue in favour of long-term energy storage in this experimental BTES, leading us to focus our analysis on the storage limits of the device. The results presented in this article were provided both by the experimental device and by the numerical models developed during the project.

![Figure 2: Evolution of temperature at the bottom of the injection borehole (depth 180 m) during and after a summer period of significant heat injection in the experimental BTES (HTF temperature at the inlet of the borehole varies between 30°C and 43°C). The control borehole (5 m distant) shows an undisturbed ground temperature whatever the depth (including at 180 m as represented on the graph). The rapid temperature decrease in the injection borehole leads to return to the undisturbed state in less than 20 days.](image-url)
2. Results

2.1 Experimental results

In order to investigate the thermal behaviour of the surrounding soil, an initial experiment consisted of injection of heat via a single geothermal borehole. As mentioned above, HTF circulation was stopped accidentally after a significant injection period. Figure 2 shows the evolution of the rock temperature at that time (August 2010) at the bottom of the injection borehole and at the bottom of a control borehole (which represents the temperature of the undisturbed soil). During the injection period, the temperature at a depth of 180 m varied between 20 and 32 °C, with daily variation patterns that relate to the variations in the thermal power delivered by the solar plant which has reached 32 kW at midday in summer. The temperature in the control borehole, filled with static water, was not affected by heat injection and remained constant at about 19 °C. When HTF circulation stopped, the borehole temperature decreased and reached its initial value, to within 0.5 °C, after six days. This result indicates that the major part of the heat injected via the borehole was quickly dissipated into the surrounding soil and it is concluded that a single borehole is not an efficient solution for inter-seasonal underground thermal energy storage. In order to evaluate efficiency over a shorter period, we calculated the ratio between the temperature decrease during a night and the temperature increase during the previous day, throughout the injection borehole and for a representative day of heat injection. The results are presented in Figure 3. They show that, all along the geothermal probe, about 95 per cent of the heat injected into the probe over a day is dissipated into the surrounding soil during the following night. This behaviour, and the rapid return to initial temperature when HTF circulation stops, prove that most of the injected energy is lost. The single 180 m deep borehole is therefore not recommended for day/night underground energy storage.
2.2 Modelling results

Lamarche and Beauchamp [11] proposed an improved analytical model to describe heat transfers around ground heat exchangers. Later, Bauer et al. [12] explained that to describe heat transfers in a BTES device it is necessary to represent both vertical heat transport in the probes and horizontal heat diffusion into the different ground layers, taking account of the geothermal gradient. However, full 3D transient heat transfer modelling is particularly difficult to perform with regard to the borehole aspect ratio. Use of two coupled numerical models is therefore often preferred to study BTES. For instance, Mottaghy and Dijkshoorn [13] coupled a model of heat transfers in boreholes to a general heat and transport code. Sarbu and Sebarchievici recently proposed a review of models that can be applied to describe heat transfers separately inside the borehole and in the rock outside [14]. The SOLARGEOTHERM experimental BTES was modelled coupling a 1D analytical model and a 2D numerical model developed with the COMSOL® software. The 1D analytical model calculates variations in HTF temperature with borehole depth. The 2D numerical model represents the thermal behaviour of the surrounding soil in 10 m thick layers, using results of the 1D model as boundary conditions in the borehole. The ground thermal...
properties imposed in each layer of the model correspond to the values evaluated by the enhanced geothermal response test. A 3D multilayer model is thereby made available.

2.2.1 Fluid temperature vertical distribution in the probe

The geometry taken into account for the 1D analytical model is illustrated in Figure 4. It represents HTF flowing down an HDPE geothermal probe that is separated from the ground by sealing grout.

The heat balance of the HTF is expressed as follows:

\[ T(z,t) = T_{\text{ground}}(z) + [T_{\text{in}}(t) - T_{\text{ground}}(z)] \cdot \exp\left[-\frac{z}{m' \cdot C_p \cdot (R_1+R_2+R_3+R_4)}\right] \]

where \( T_{\text{ground}}(z) \) is the undisturbed ground temperature, \( T_{\text{in}}(t) \) the water injection temperature, \( m' \) the mass flow of HTF (kg.s\(^{-1}\)), \( C_p \) the heat capacity of water (J.kg\(^{-1}\).K\(^{-1}\)), \( R_1, R_2, R_3 \) and \( R_4 \) the thermal resistances of, respectively, the HTF, the HDPE, the grouting material and the ground (m.K.W\(^{-1}\)). \( R_1 \) is related to the convective heat transfers between the water circulating in the probe and the probe itself. It was
evaluated from the flow characteristics and the Nusselt number using the Colburn empirical correlation. The other three resistances relate to conductive transfers between the probe, the sealing grout and the rock:

\[ R_1 = \frac{1}{2\pi \text{HTF}} \quad R_2 = \frac{\ln r_{\text{external}}}{2\pi \text{HDPE}} \quad R_3 = \frac{\ln r_{\text{borehole}}}{2\pi \text{borehole}} \quad R_4 = \frac{\ln r_{\text{ground}}}{2\pi \text{ground}} \]

The values for the parameters used for calculations with the 1D model are given in Table 1. The equivalent thermal resistance \((R_1+R_2+R_3)\) of the underground thermal storage device is 0.19 m.K.W\(^{-1}\). Pahud and Matthey [15] have indicated that, in favourable cases, borehole thermal resistance could be reduced to 0.1 m.K.W\(^{-1}\). The water injection temperature varies with time in the model as the real inlet temperature measured on the experimental site.

The 1D analytical model gives the vertical distribution of HTF temperature in the borehole. As expected, HTF temperature is higher at the probe inlet than at a depth of 180 m: as the HTF gives up a part of its energy to the colder surrounding rock its temperature decreases with depth. The temperature difference between the HTF and the surrounding rock, calculated for a summer injection day at midday (\(T_{\text{in}}(t)=48^\circ\text{C}, T_{\text{ground}}(10)=16^\circ\text{C}\)), is shown in Figure 5. Temperature decreases with depth from about 32 °C at 10 m to 23 °C at 180 m. Accordingly, the heat dissipated by the HTF decreases from about 76 W.m\(^{-1}\) at the inlet to 56 W.m\(^{-1}\) at the bottom of the geothermal probe. The injected heat rate is 25 per cent lower at a depth of 150 m than at the inlet to the geothermal probe.
2.2.2 Ground temperature

The distribution of ground temperature was simulated with a 2D numerical model developed with COMSOL. The HTF temperatures provided by the 1D model were applied as boundary conditions varying with depth. The geometry simulated by the 2D numerical model is shown in Figure 6, representing a cross-section of a borehole with the two double-U legs of the geothermal probe and the sealing grout.

Figure 5: Variation with depth of the temperature difference between the fluid in the geothermal probe and the surrounding rock for a summer injection day (7 August 2010, at midday). Related variation of the dissipated heat rate per unit length.

Figure 6: Geometry of the borehole simulated by the 2D numerical model.
A cylindrical volume with a diameter of 10 m around the borehole is considered. Longest diameter was tested with no significant impact on the results, even when running long-term scenarios. This surrounding dry rock is divided into 10 m thick layers. The initial temperature variation with depth is given by the experimental data which were acquired before any thermal injection. Evolution of HTF temperature with time in each layer is applied in accordance with the results supplied by the 1D model. The thermal boundary condition is a no flux condition at the 10m diameter circle, and at the bottom of the cylindrical volume. This 3D multilayer model was validated by comparison with the experimental data recorded during the heat injection summer period. For the double-U probe geometry, temperature varies all around the HDPE tube. Unfortunately, it is not possible to know exactly where the experimental temperatures were measured around the probe. Comparison is also made, for each depth, between the experimental value and the minimum and maximum calculated temperatures (Figure 7). The model's predictions appear to agree closely with observations. The model is therefore validated and can be used to investigate different heat injection configurations and to study the long term behaviour of the system.

The numerical model was run over many years, assuming continuous heat injection into the ground. The injected power varied during the day and over the year with
sunshine levels, as it would if it had been collected by thermal panels. The heat was either injected into a single 180 m borehole or divided over three boreholes of equal depth. In each case, the system reached a stationary state in about one year. The heat injection impacted the ground temperature less than 5 m away from the probes. The final temperature increase in this 5 m diameter cylinder is in the range of 3 to 4 °C when the injected heat was concentrated in a single borehole and in the range of 2 to 3 °C when it was shared between three boreholes.

In greater detail, Figure 8a shows the simulated ground temperature at the centre of the three injection boreholes after a six-month injection period. The HTF temperature variations applied at the inlet of the geothermal probes correspond to real values measured at the outlet of the SOLARGEOTHERM solar plant. The 5 m distance between the vertical geothermal probes is constant with depth. Results are presented for every 30 metres of depth. It appears that after six months of heat injection, the highest ground temperature is observed at 30 m and the lowest at the borehole bottom (180 m). The temperature rises are not linear, a phenomenon relating to the boundary condition. After the six-month injection period, the temperature increases reach 7 °C at 30, 60 and 90 m but only 3 °C at 180 m. However, the temperature level obtained appears nonetheless interesting from the storage process point of view.

![Figure 8a](image1.png)
![Figure 8b](image2.png)

**Figure 8:** Temperature evolution in the ground at different depths at the centre of the triangle defined by the three geothermal probes. The injection scenario assumed a six-month injection period with the heat rate equitably distributed amongst the three boreholes. a) case of vertical boreholes; b) actual SOLARGEOTHERM case (deflected boreholes).
In reality, it is difficult to drill perfectly vertical boreholes especially if geological layers are tilted. In fact, for the SOLARGEOTHERM project, borehole deflection from vertical can be as much as 50 m at a depth of 180 m, meaning that the distance between boreholes (5 m at the surface) varies from 2 m to more than 25 m (Figure 9).

For this reason, we performed a second simulation using the actual spacing of the three boreholes which varies with depth. The results are presented in Figure 8b. The temperature increase in the upper part of the ground storage volume is greater than in the case of perfectly vertical boreholes, with rises of 9.5 °C at a depth of 30 m, 7 °C at 60 m and 6 °C at 90 m. However, simulation results for the deeper parts of the borehole indicate lower values (2.2, 0.8 and 0.2 °C at depths of 120, 150 and 180 m respectively). The differences between the two cases are a direct consequence of the spacing of the geothermal probes: the closer the boreholes, the greater the ground temperature increase. The actual spacing at depths of 30, 60 and 90 m is in the range of 2.5 to 7 m, whereas it reaches 8 to 25 m in the deeper parts. The numerical results suggest that, in the SOLARGEOTHERM context, the maximum efficient depth for energy storage with three injection boreholes would be 100 m.
Deeper, the effectiveness of the device is decreased both by cooling of the HTF and by the distance between boreholes.

Another scenario was simulated: the heat collected through the solar panels was injected into three boreholes over a whole month (it represents 307 MJ). The natural thermal relaxation of the system was then simulated for another month. The aim of this exercise was to study whether it is possible to store energy in the ground at the scale of one month. Two configurations were simulated: the actual SOLARGEOTHERM geometry and the vertical boreholes. The results obtained for the three depths for which the greatest temperature rises were observed experimentally (i.e. 30, 60 and 90 m) are shown in Figure 10 (SOLARGEOTHEM case) and Figure 11 (vertical case). After one month of energy injection into the three boreholes, in the SOLARGEOTHERM borehole configuration the simulated temperature rise is the same at depths of 30 and 60 m (2.8°C) and is 1°C higher than at 90 m. This is not a surprising result as the spacing between the three boreholes is less at 30 and 60 m than at 90 m (Figure 9). At the opposite, the temperature rise decrease with depth (from 5.5°C at 30m to 3.8°C at 90 m) in the perfect case (Figure 11). Subsequently, after a month without any injection, the temperature increases are no more than 1.5 to 2.2°C in the real case and 2.1 to 3.5°C in the perfect vertical configuration. These last values seem more suitable for energy storage applications. We conclude that the configuration of the SOLARGEOTHERM experimental device is not suitable for efficient underground thermal energy storage. Vertical shorter boreholes should be preferred to optimize the efficiency of the device.
Figure 10: Temperature evolution in the ground at different depths at the centre of the triangle defined by the three geothermal probes of the SOLARGEOTHERM device. The injection scenario assumed a one-month injection period and a one-month without injection period.

Figure 11: Temperature evolution in the ground at different depths at the centre of the triangle defined by three vertical geothermal probes. The injection scenario assumed a one-month injection period and a one-month without injection period.

Experimental observations have already indicated that hardly 5 per cent of the energy injected during the day is stored in the BTES, the major part being dissipated during the night (Figure 3). The numerical results extend this observation: in the
experimental context, the heat injected during a given storage period dissipates into the ground surrounding the borehole during the same time period.

3. Discussion
Previous experimental and modelling results have shown that, for the heat range investigated, the BTES configuration with three 180 m-deep boreholes could be of interest for storage over a few days but would not be efficient for seasonal storage. Furthermore, it appeared that the deepest BTES are not necessarily the most efficient. In fact, HTF temperature in the geothermal probe decreases with depth and, in our experimental context, the heat rate at over 100 to 150 m is too low to heat the surrounding ground, of which the temperature is already increased by the geothermal flux. As drilling costs are proportional to borehole depth, evaluation of the depth and design of a BTES that optimise the ratio between heat storage and cost is a worthwhile exercise. A theoretical analysis is therefore proposed, below, to provide recommendations for heat store design. It is based on analytical calculation and minimisation of heat losses in a cylindrical heat store.

A field of vertical geothermal probes defines an underground storage volume, as long as influence radiuses of boreholes intersect. Generally, spacing between 2.5 and 5 m are investigated [3]. However, other concerns such as maximum temperature increase in the storage volume or practical drilling conditions are to be considered to define the optimal distance between boreholes when designing a BTES. Heat losses from underground thermal energy stores (excluding ATES) are mainly associated with conductive heat transfers from the storage volume to the surrounding rock. For a given storage volume ($V_o$), the easiest way to reduce heat losses is therefore to minimise the heat exchange surface area (S) between the heat store volume and the outside environment. The heat store may be insulated at its top, as it is the case, for instance, for the operational 63,360 m$^3$ BTES at Neckarsulm (Germany), which is thermally insulated with a 200 mm layer of polystyrene and covered by 2–3 m of soil [16]. Once the top is insulated, the exchange surface is limited to the borehole sides and bottom. If we consider that the geothermal probes are located in the ground in such a way that they define a cylindrical storage volume (radius R, height h), it is easy to prove that the top-insulated, cylindrical heat storage volume for which heat losses are minimal is one with its height equal to its radius. Its form factor E ($E=D/h$) is equal to 2.
Below, we compare the time required by two different cylindrical BTES to dissipate a given amount of heat, knowing that the amount of heat dissipated during a time $\tau$ is equal to the integrative sum of the conductive flux ($\varphi$) between the heat store volume and the surrounding rock. We consider two fields of top-insulated, vertical geothermal probes defining two underground heat stores with the same volume $V$ but with different form factors ($E_A$ and $E_B$) and exchange surfaces ($S_A$ et $S_B$). For the purposes of the demonstration, the rock is assumed to be a semi-infinite homogeneous porous medium with a uniform initial temperature $T_i$. The heat store is maintained at a constant temperature $T_o$, and heat transfers between the storage volume and the surrounding rock are assumed to be unidirectional (horizontal). With these hypotheses, the ground temperature is given by:

$$T(x,t) - T_0 = (T_i - T_o) \cdot \text{erf} \left( \frac{x}{2\sqrt{\alpha t}} \right)$$  \[eq1\]

where $\alpha = \frac{\lambda^2}{\rho C}$ is the equivalent thermal diffusivity of the porous media. The conductive heat flux between the BTES and the surrounding rock is then expressed as: $\varphi_{x=0} = -\lambda^2 S \cdot \frac{\partial T}{\partial x} \bigg|_{x=0} = (T_i - T_o) \cdot S \cdot \sqrt{\frac{\lambda^2 (\rho C)}{\pi t}}$

Hence, for two devices dissipating the same amount of heat, we can write:

$$\int_0^{\tau_A} \varphi_A \cdot dt = \int_0^{\tau_B} \varphi_B \cdot dt \iff \left( \frac{\tau_A}{\tau_B} \right) = \left( \frac{S_B}{S_A} \right)^2$$  \[eq2\]

Expressing the exchange surface of the cylindrical devices in terms of their storage volume and their form factor: $S = \pi \cdot (0.25 + 1/E) \cdot (4 \cdot E \cdot V_o / \pi)^{2/3}$  \[eq3\]

Finally, from equations 5 and 6:

$$\left( \frac{\tau_A}{\tau_B} \right) = \left[ \left( \frac{E_B}{E_A} \right)^{2/3} \cdot (0.25 + 1/E_B) / (0.25 + 1/E_A) \right]^2$$  \[eq4\]

This last relation enables comparison of the performance of two fields of vertical geothermal probes as underground thermal energy storage devices. For instance, it is applicable for comparison of any cylindrical BTES with a form factor $E_A$ to an optimised device with the criterion $E_B=2$ (Figure 12). The form factors of the SOLARGEOTHERM experimental device and those of three operational sites described in the literature are shown on the graph. The single, vertical, 180 m deep geothermal probe is far from the optimised heat store design. The characteristic
storage time of this device is hardly 13 per cent of the optimum, meaning that, with an optimal heat store design, more than 45 days would have been necessary for the temperature to recover its initial state after a long injection period (against six days in the experimental conditions as shown in Figure 2). Lundh & Dalenbäck [3] have stated that, as the Anneberg store is fairly small, the heat losses were assumed to reach 40 per cent. The dimensions of the DLSC system in Okotoks [4] and those of the Neckarsulm system [10] are close to the optimum ratio (D/h=2), and heat losses are reduced. These BTES are accordingly operating successfully for thermal energy seasonal storage.

Figure 12: Characteristic heat storage time ($\tau_a$) of a BTES according to its form factor compared to the characteristic time of an optimised BTES ($\tau_b$) with a form factor of 2. Positions corresponding to some documented operational BTES are shown on the graph.

4. Conclusion

Analysis of the experimental data from the SOLARGEOTHERM project indicates that the major part of the heat injected via a single 180 m deep borehole is quickly dissipated into the surrounding rock. More precisely, 95 per cent of the heat injected into the geothermal probe over a day is dissipated into the surrounding rock during the following night. It has therefore been concluded that a single borehole is efficient for neither inter-seasonal nor day/night underground thermal energy storage. A 1D analytical model based on energy balance was proposed to estimate the vertical distribution of HTF temperature in the borehole. The model indicated that the HTF
flowing down the geothermal probe had lost 15 per cent of its energy at a depth of 100 m and 25 per cent at 150 m. A 3D multilayer numerical model was then developed and validated using the SOLARGEOTHERM experimental data. This model was used to simulate different BTES configurations over a number of years. The numerical results suggest that, in the geological context of the SOLARGEOTHERM project, the maximum efficient depth for energy storage with three injection boreholes would be 100 m. Deeper, the efficiency of the device is reduced both by the cooling of the HTF in the probe and by the distance between boreholes, which may increase considerably with depth if the boreholes are deflected. The simulations also showed that, in the experimental site context, the heat injected during a given storage period is dissipated into the ground during the same time period. Lastly, a theoretical approach to optimising BTES design was proposed. A relation (Eq4) was derived to evaluate BTES performance, enabling comparison of the characteristic storage time of any vertical BTES to that of an optimum one, i.e. a top-insulated, cylindrical heat storage volume with its height equal to its radius.

Based on these experimental, modelling and theoretical results, guidelines can be formulated for vertical borehole field design to optimise underground energy storage:

- Whatever the number of boreholes, their spatial distribution should define a cylindrical volume with a diameter twice its height.
- The depth of boreholes should not exceed 100 m, and they should be drilled as vertically as possible to maintain a constant distance between boreholes (around 5 m).
- The upper surface of the heat store must be thermally insulated to reduce heat losses to the atmosphere.

In a favourable geological context, BTES are well suited for inter-seasonal heat storage if their design follows at least these few simple recommendations.

**Acknowledgements**

This study was conducted as part of the SOLARGEOTHERM research project co-funded by the French Research Agency (ANR) under the Stock-E 2007 programme. The authors also thank Dominguez Energy for the setup of the experimental device.
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