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# A coupled large-scale model for hydromechanical simulation of $CO_2$ geological storage

P. Sochala\*, V. Desveaux\*, J. Rohmer\*, and D. Seyed\*

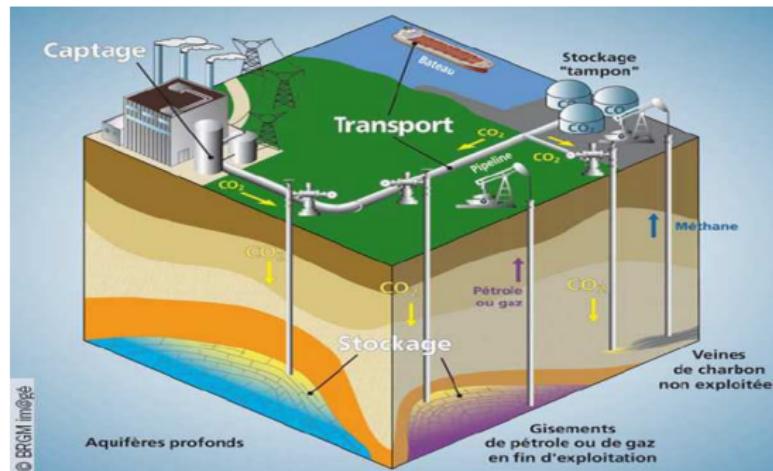
\* BRGM (French Geological Survey)  
Natural Risks and Safety of  $CO_2$  storage  
Orléans

SIAM Geosciences 2011  
March 21 - 24, Long Beach



# General introduction

Greenhouse gas emissions ⇒ Global warming



CO<sub>2</sub> injection ⇒ reservoir overpressure ⇒ caprock damage or fault reactivation ?

# General introduction

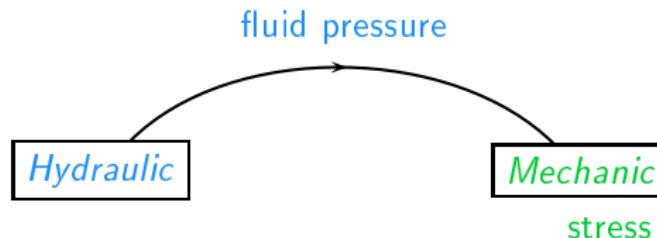
*Hydraulic*

*Mechanic*

## Hydromechanical modeling of $CO_2$ sequestration

- ▶ Tough2 - FLAC<sup>3D</sup> → *Rutqvist et al.*
- ▶ ToughReact - FLAC<sup>3D</sup> → *Taron et al.*
- ▶ Modified CODE\_BRIGHT → *Vilarrasa et al.*
- ▶ ATH2VIS → *Mainguy et al.*

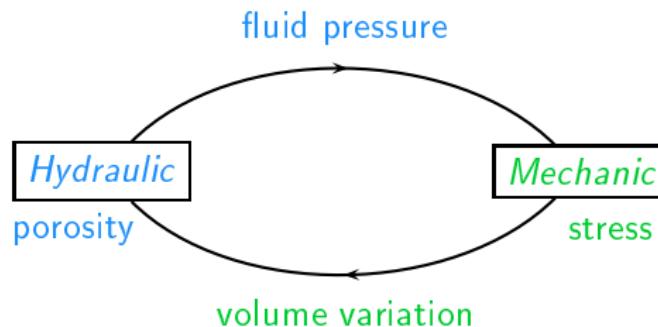
# General introduction



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# Geohydrological system

- ▶ Two-phase  $\gamma$  (liquid, gas) and two-component  $\chi$  (water,  $CO_2$ ) flow
- ▶ **Mass conservation** of  $\chi$  with a source term  $S_\chi$

$$\partial_t \left( \varphi \sum_{\gamma} \rho_{\gamma} s_{\gamma} \omega_{\chi,\gamma} \right) + \nabla \cdot \left( \sum_{\gamma} \omega_{\chi,\gamma} F_{\gamma} \right) = S_\chi$$

$\varphi$  porosity,  $\rho_{\gamma}$  density,  $s_{\gamma}$  saturation,  $\omega_{\chi,\gamma}$  mass fraction of  $\chi$  in  $\gamma$

- ▶ **Darcy's law**

$$F_{\gamma} = -\rho_{\gamma} \frac{k_i k_{r,\gamma}}{\mu_{\gamma}} (\nabla p_{\gamma} - \rho_{\gamma} g e_z)$$

$k_i$  porous media intrinsic permeability,  $k_{r,\gamma}$  relative permeability  
 $\mu_{\gamma}$  dynamic viscosity,  $p_{\gamma}$  pressure

- ▶ Hydraulic relations → *Van-Genuchten80, Mualem76*  
Thermodynamic equilibrium → *Spycher&Pruess05*

# Mechanical equations

- ▶ **Conservation of momentum**

$$\nabla \cdot \sigma + \rho g e_z = 0$$

$\sigma$  total stress tensor,  $\rho$  average density

- ▶ **Effective stress concept**

$$\sigma = \sigma' - b p I$$

$\sigma'$  effective stress tensor,  $b$  Biot's coefficient,  $p$  pore pressure

- ▶ **Linear elasticity**

$$\sigma' = \frac{E}{1+\nu} \left( \nabla u + {}^t \nabla u + \frac{\nu}{1-2\nu} (\nabla \cdot u) I \right)$$

$E$  Young's modulus,  $\nu$  Poisson's ratio,  $u$  displacement

# Coupling conditions

- ▶ **pore pressure** equal to the mean-value of the two-phase system

$$p = \sum_{\gamma} s_{\gamma} p_{\gamma}$$

- ▶ **permeability-porosity relation** → *David05*

$$k_i = k_i^0 \left( \frac{\varphi}{\varphi^0} \right)^m$$

*m* empirical parameter

- ▶ **Biot's law** → *Biot41*

$$d\varphi = bd(\operatorname{div}(u)) + \frac{1}{M} dp$$

*M* Biot's modulus

# Tough2 and Code\_Aster discretization

Tough2 → Lawrence Berkeley National Laboratory

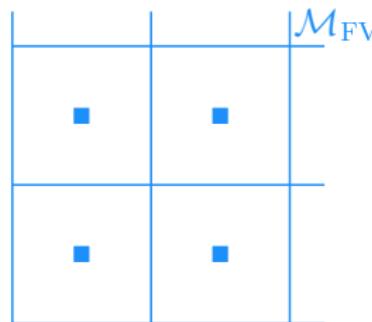
- ▶ Multi-phase fluid and heat flow in porous and fractured media
- ▶ **Finite volume** with finite difference evaluation of the flux term  
*Integrated Finite Difference Method* → Narasimham 76
- ▶ Euler implicit scheme
- ▶ Newton Raphson Algorithm

Code\_Aster → EDF (French Electricity Compagny)

- ▶ Non-linear models of mechanical phenomena
- ▶ **Finite element**

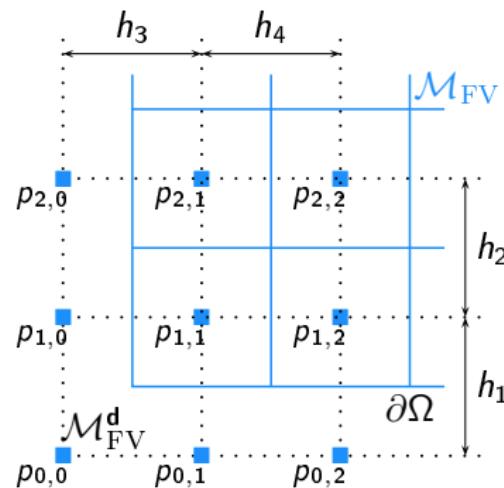
# Transfer operator $\mathcal{T}_{\text{FV} \rightarrow \text{FE}}$ for pressure field

step 1 - construction of a dual mesh



# Transfer operator $\mathcal{T}_{\text{FV} \rightarrow \text{FE}}$ for pressure field

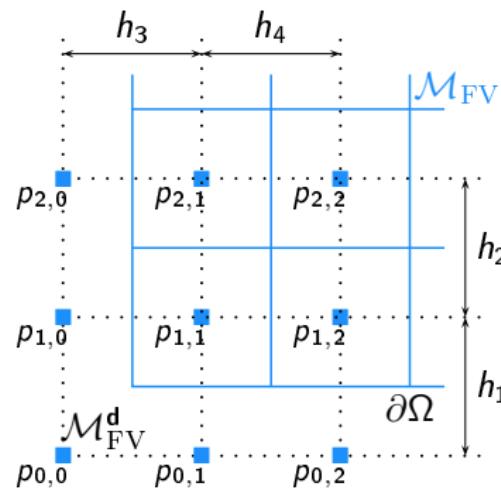
step 1 - construction of a dual mesh



$$p_{0,i} = p_{1,i} + \frac{h_1}{h_2} (p_{1,i} - p_{2,i})$$

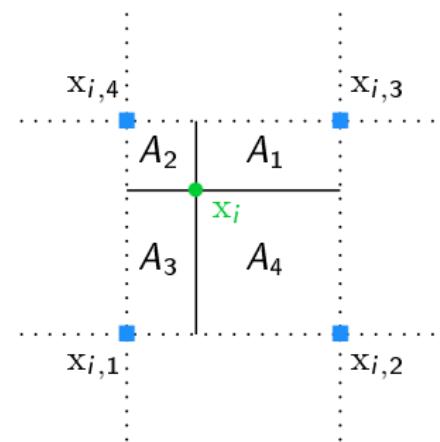
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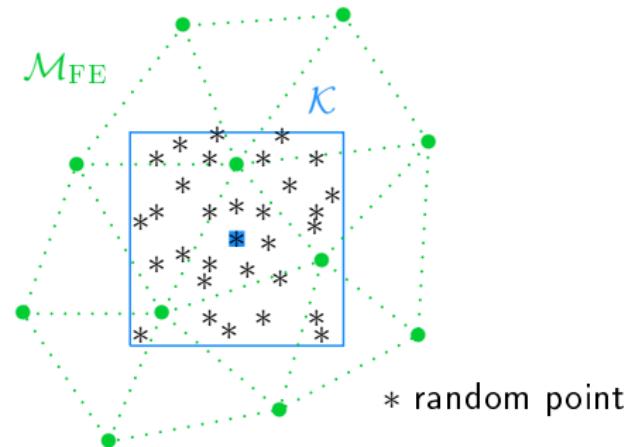
step 2 - linear interpolation



$$p_{\text{FE}}(x_i) = \sum_{k=1}^4 \frac{A_k}{A} p_{\text{FV}}(x_{i,k})$$

# Transfer operator $\mathcal{T}_{\text{FE} \rightarrow \text{FV}}$ for porosity field

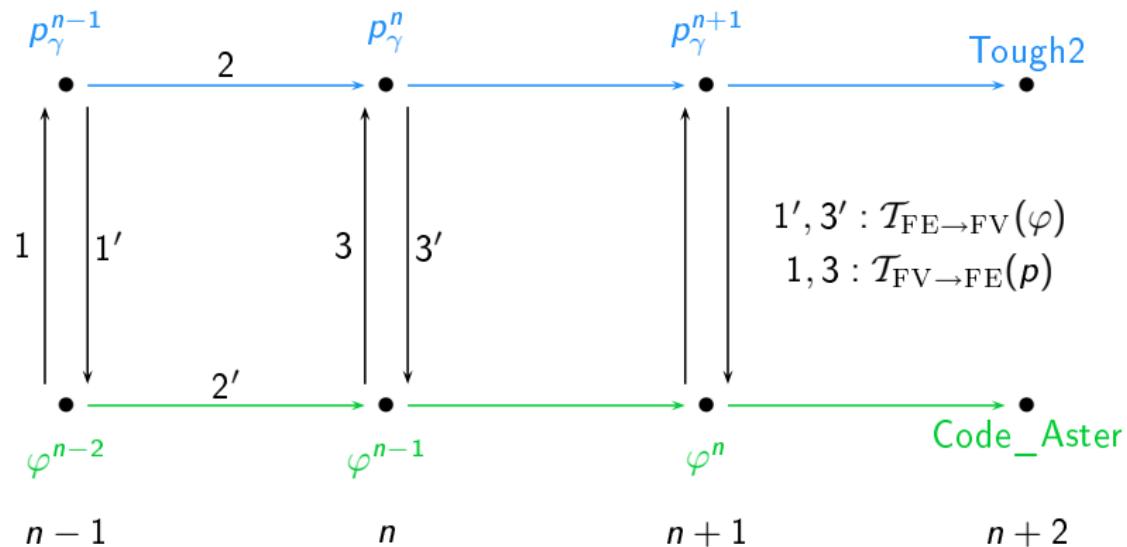
Mean-value of  $\varphi$  on  $\mathcal{K}$  estimated by MC



$$\varphi_{\text{FV}}|_{\mathcal{K}} = \frac{1}{N} \sum_{j=1}^N \varphi_{\text{FE}}(\mathbf{x}_j)$$

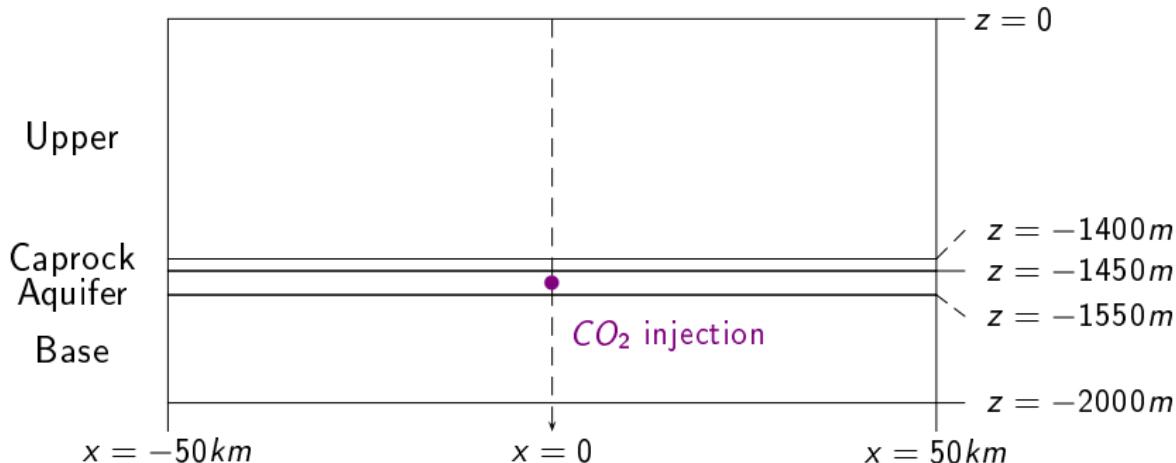
# Time coupling

Conventional Parallel Staggered algorithm → Piperno et al 95



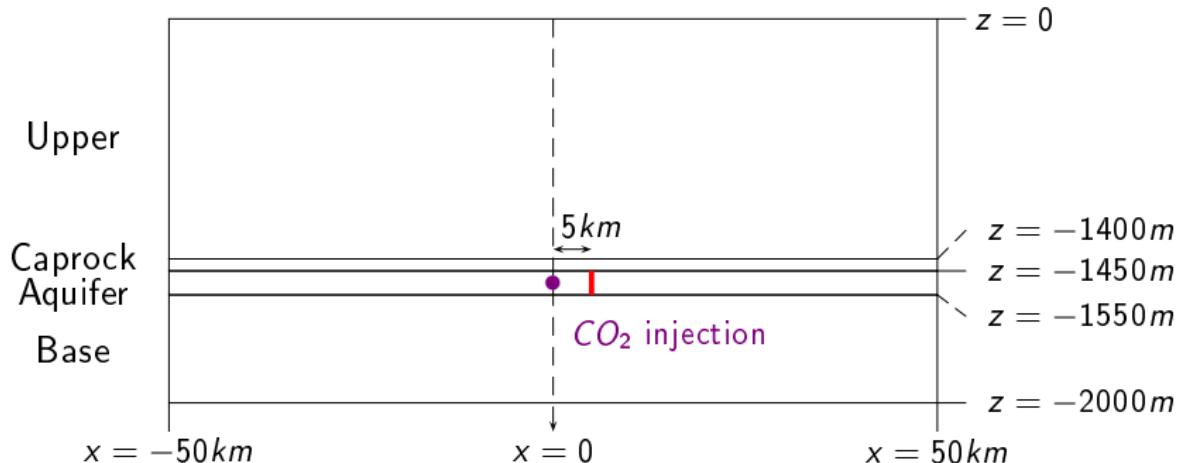
# Test case presentation

- ▶  $CO_2$  injection by horizontal well in deep aquifer
- ▶ 2D geometry  $\Omega = [-50km, 50km] \times [0, -2km]$  and  $T = 5\text{ years}$
- ▶  $S_{CO_2} = 500t/m/\text{year}$
- ▶



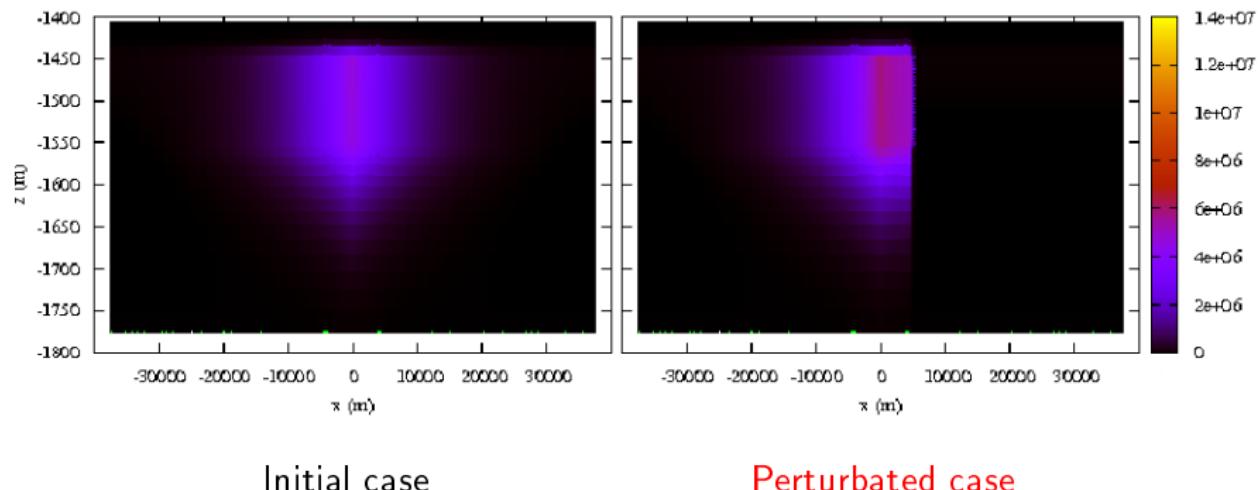
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- ▶  $S_{CO_2} = 500t/m/\text{year}$
- ▶ impact of a sealing fault near the injection zone



# Overpressure (Pa)

$t=1$  year

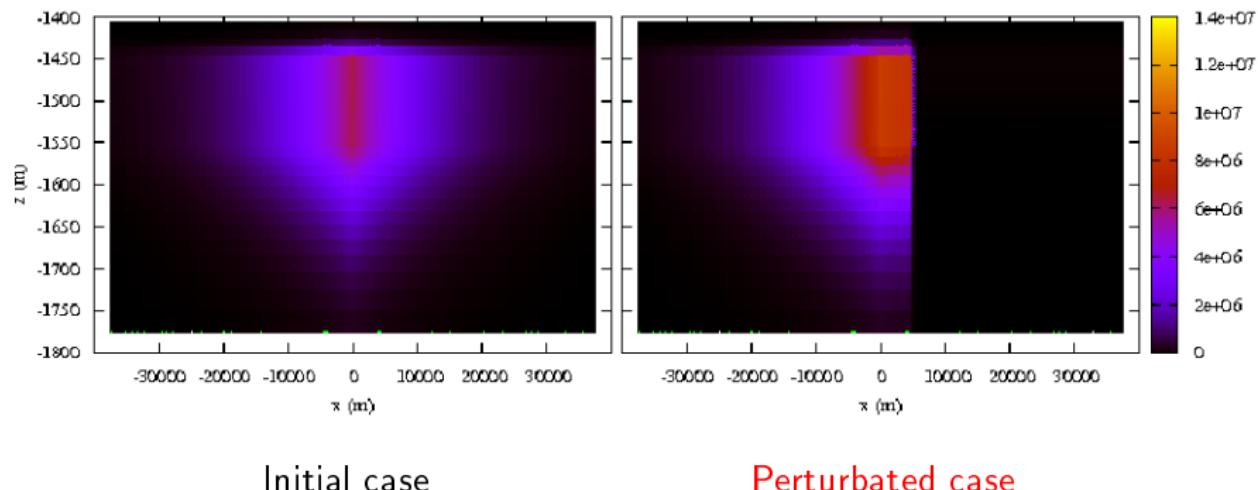


Initial case

Perturbed case

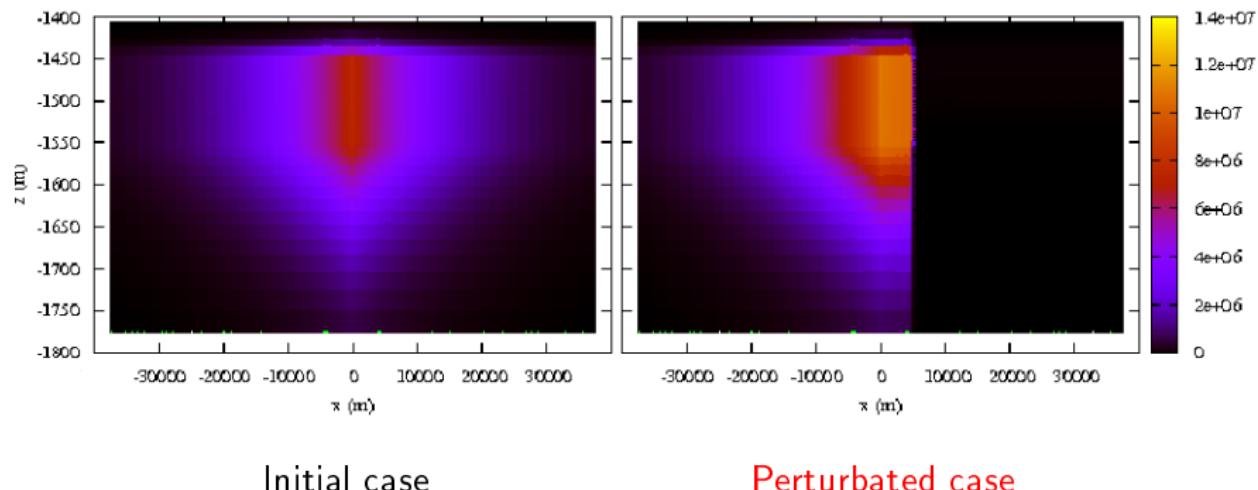
# Overpressure (Pa)

t=2 years



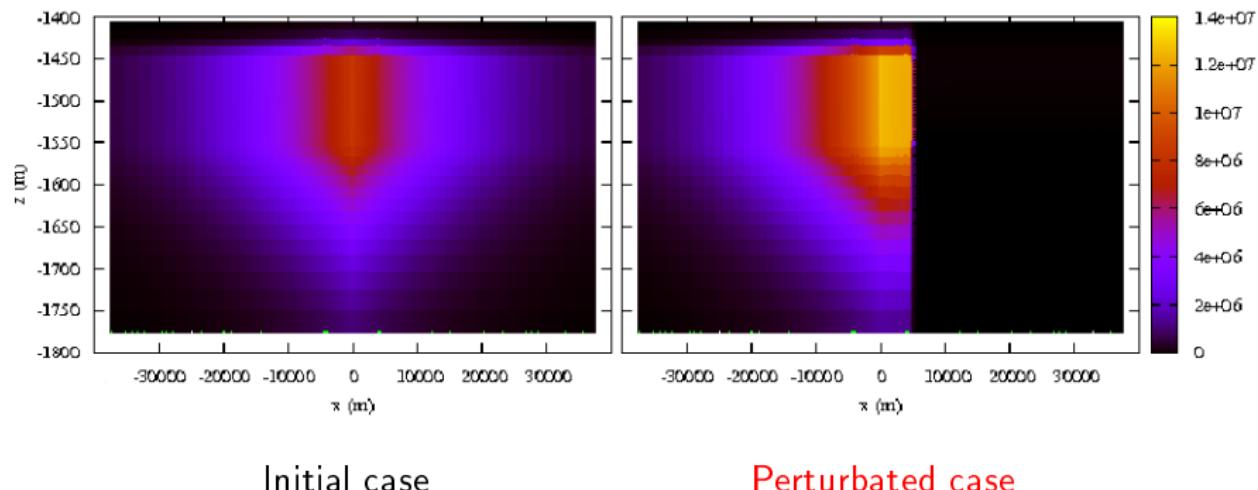
# Overpressure (Pa)

t=3 years



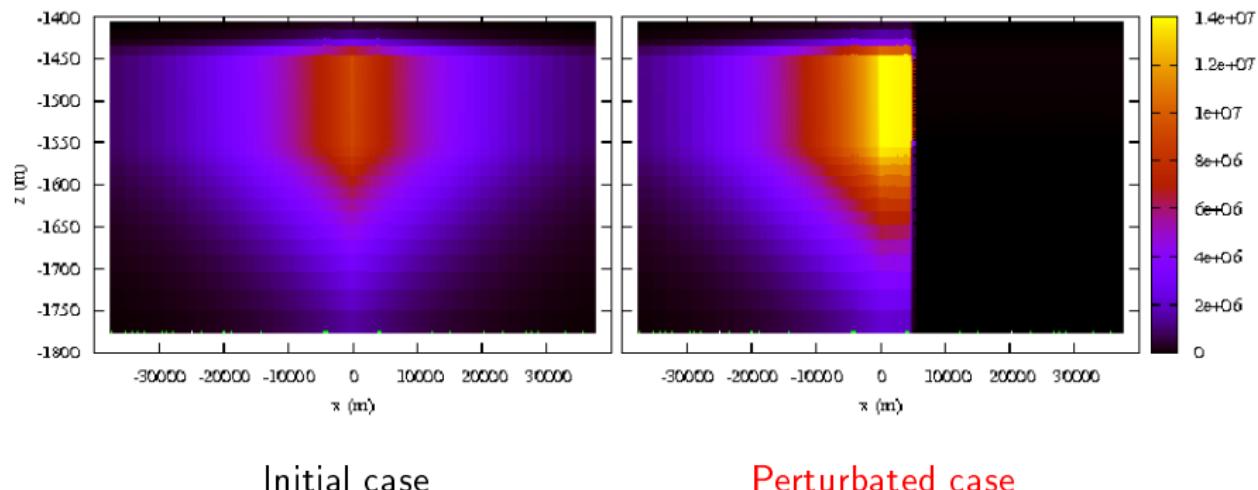
# Overpressure (Pa)

$t=4$  years



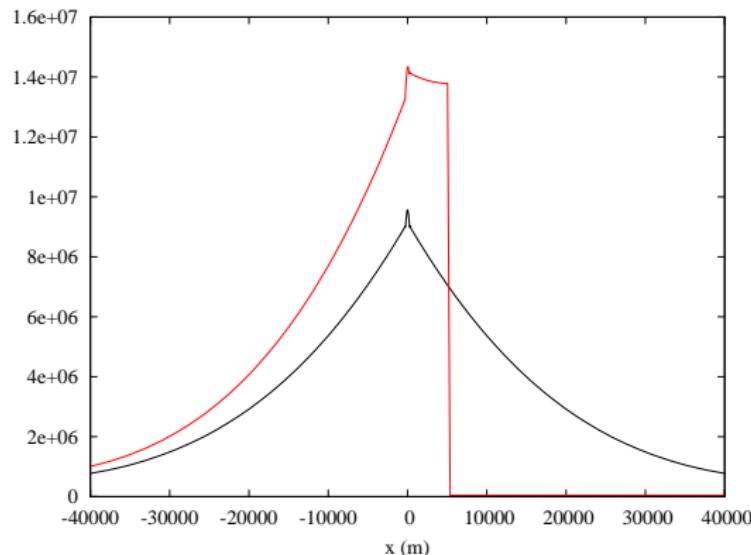
# Overpressure (Pa)

t=5 years



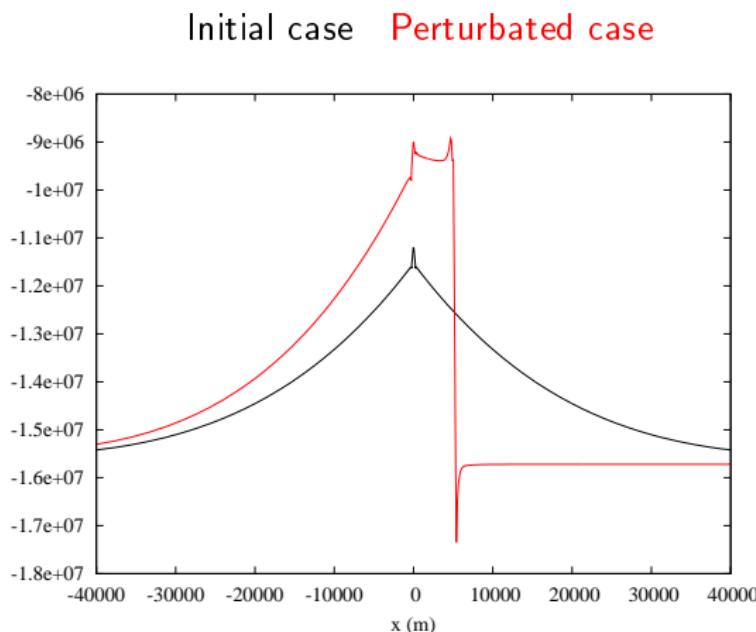
# Overpressure in the aquifer (Pa)

Initial case    Perturbed case



Increase of 40% of the overpressure at 5 years

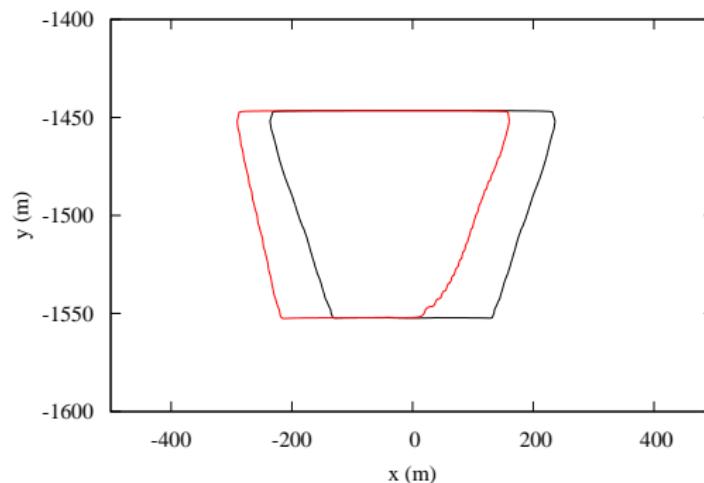
# Horizontal effective stress change due to injection (Pa)



More change in effective stress

# $CO_2$ plume

Initial case    Perturbated case



Displacement at the opposite side of the fault

# Conclusion

- ▶ robust method to transfer fields between different meshes
- ▶ efficient parallel time coupling algorithm
- ▶ significant increase of the overpressure due to the impermeable fault

## Further work

- ▶ tensile and shear stress failure criteria → sustainable pressure
- ▶ non-linear constitutive law of the geological formation
- ▶ more realistic geometry